

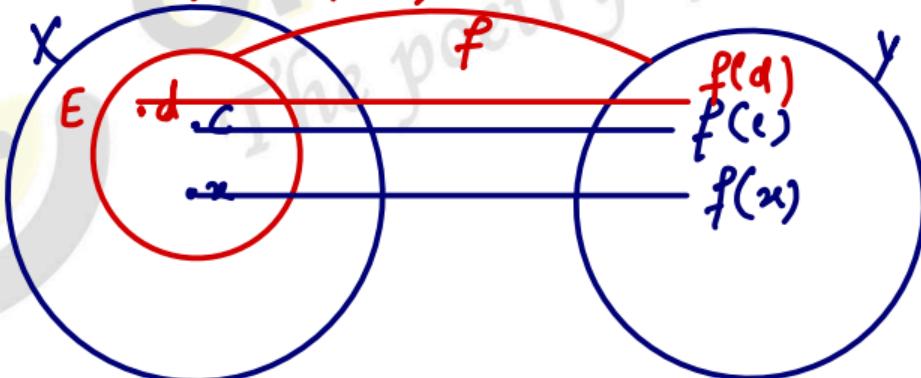
Continuity of a function

Let (X, d_1) and (Y, d_2) be metric spaces.

$E \subseteq X$ and $f: E \rightarrow Y$ be a function. Then
 f is said to be continuous at $c \in E$ if

for $\epsilon > 0 \exists \delta > 0$ s.t.

$d_2(f(x), f(c)) < \epsilon$ when $d_1(x, c) < \delta$



f is Continuous at every point of E then
 f is said to be Continuous function on E .



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The poetry of logical ideas.